

# The Deposit Business at Large vs. Small Banks

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# Purpose of the Paper

- Provide a model and empirical results that the deposit-pricing differentials of large and small banks can best be explained by:
  - **Different production technologies of large and small banks,**
  - **Depositor preferences.**
- We find that large banks:
  - **Offer a broader menu of financial services,**
  - **Locate where depositors have lower deposit-rate elasticities and higher incomes,**
  - **Pay lower deposit rates.**
- **We define product market competition in the classic way:** products differ by characteristics and prices reflect consumer demand for these characteristics.

# 1. Reduced Form Evidence

# Banks Use Uniform Deposit Pricing (RateWatch 2001–2020)

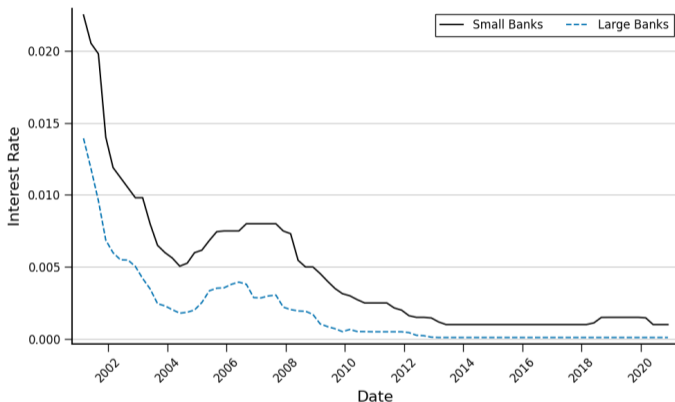
Time and Bank Fixed Effects

FE	CHECK \$2.5K		SAV \$2.5K	
	Time	Bank×Time	Time	Bank×Time
Observations	52,618,184	51,125,529	54,525,429	52,999,174
$R^2$	0.351	0.915	0.474	0.942

- Consistent with Radecki (1998); Heitfield (1999); Biehl (2002); Park and Pennacchi (2009); Yankov (2024); Granja and Paixão (2023); Begenau and Stafford (2023).

# Large Banks Set Lower Deposit Rates

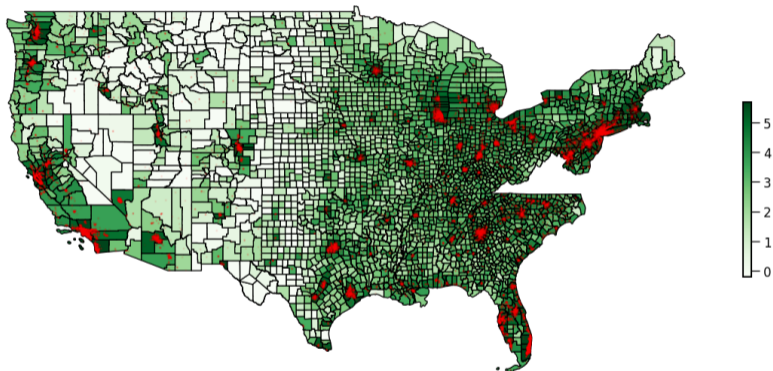
RateWatch: Savings \$2.5K



- **Large:** One of the 14 large complex bank holding companies subject to the Supervisory Capital Assessment Program of 2009.
- Small banks provide rates 30 basis points higher on average.

# Large vs. Small Banks Serve Distinct Geographies

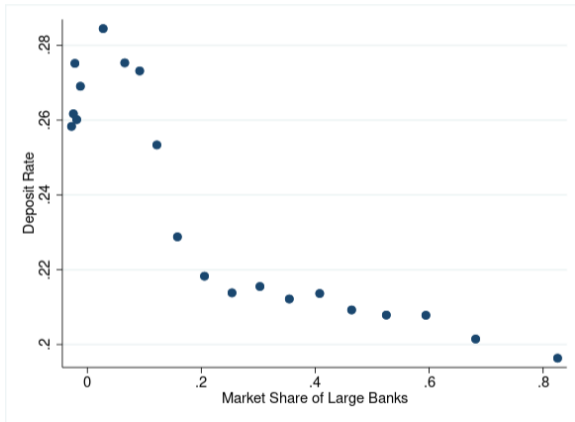
Large banks in high population areas (2019)



- More highly populated areas with higher average incomes, higher house prices, and lower average ages.

# Small Banks Offer Lower Rates when Co-Located with Large Banks

RateWatch: Savings \$2.5K



- Inconsistent with small banks setting higher rates to compete against large banks.

## 2. Model



# Depositor's Maximization Problem

- **Depositor**  $i$  in market  $k$  is endowed with \$1 and chooses from  $\mathcal{B}_k$  banks to maximize:

$$\max_{j \in \mathcal{B}_k} u_{ijk} = -\alpha_k s_j + \beta_k x_j + \epsilon_{ijk},$$

- $s_j$  = deposit spread
- $x_j$  = other financial services
- $\epsilon_{ijk} \sim F(\epsilon) = e^{-e^{-\epsilon}}$
- The market share for the deposits of bank  $j$  in market  $k$  is

$$d_{jk} = \frac{\exp(-\alpha_k s_j + \beta_k x_j)}{\sum_{i \in \mathcal{B}_k} \exp(-\alpha_k s_i + \beta_k x_i)}.$$

- With a mass  $M_k$  of depositors, the total demand is  $D_{jk} = M_k d_{jk}$ .

# Bank's Maximization Problem

- Bank  $j$  chooses other financial services  $x_j \in \{0, 1\}$ , branches  $b_{jk} \in \{0, 1\}$ , and spread  $s_j$

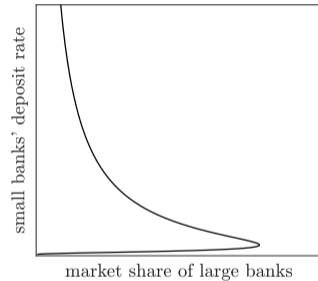
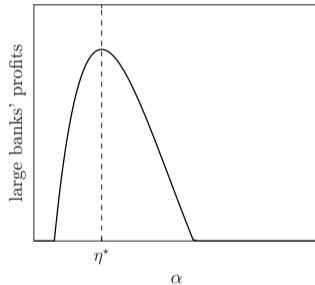
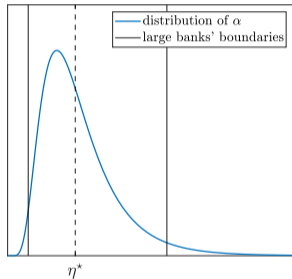
$$\max_{x_j, b_{jk}, s_j} \sum_{k=1}^K ((s_j - c)D_{jk} - \kappa_k) \mathbb{1}\{b_{jk} = 1\} - \chi x_j$$

- $c$  = cost of servicing deposits
  - $\kappa_k$  = fixed cost to open a branch in  $k$ ,  $b_{jk} = 1$ , if and only if  $(s_j - c)D_{jk} \geq \kappa_k$ .
  - $\chi$  = cost of financial services
- **Assume: uniform deposit spread  $s_j$  across branches**
  - **Free entry condition pins down the number of banks in each market.**

# Model Predictions

1. Small banks operate in one market
2. In collocation markets, small banks compete for deposits by offering higher rates
3. Large banks maximize profits by choosing a deposit spread that allows them to open branches in the largest possible number of markets

# Large Bank Optimal Profit Elasticity, $\eta^*$ , and Small Bank Spreads



### 3. Structural Model: Elasticity Estimation

## Estimation: BLP random parameters logit demand model

- Define markets as 531 county clusters to capture local-branch customer preferences.
- Depositor in market  $k$  chooses cash, bonds or deposits of bank  $j$  to maximize:

$$U_{i,j,k,t} = \alpha_i \left( r_{j,k,t} - r_t^f \right) + \beta X_{j,k,t} + \zeta_{j,k,t} + \epsilon_{i,j,k,t},$$

where

$$\alpha_i = \alpha + \Pi D_i + \sigma v_i$$

- $r_{j,k,t}$  = the deposit rate,
  - $X_{j,k,t}$  = bank characteristics,
  - $\zeta_{j,k,t}$  = bank/market fixed effects and unobserved product characteristics,
  - $\epsilon_{i,j,k,t} \sim F(\epsilon) = e^{-e^{-\epsilon}}$  and  $v_i \sim N(0, 1)$ .
- **Heterogeneous depositor price sensitivity**  $\alpha_i$  as a function of demographics  $D_i$ .

## Estimation: BLP random parameters logit demand model

- Use supply shocks  $Z_{j,k,t}$  as instrumental variables (Wang et al., 2022; Dick, 2008).
  - Ratio of staff salaries to total assets.
  - Ratio of non-interest expenses on fixed assets to total assets.
  - County-level annual wage shock in commercial banking industry.
- Follow Nevo (2000) and Conlon and Gortmaker (2020) to estimate key parameters  $\alpha, \beta, \Pi, \sigma$ .

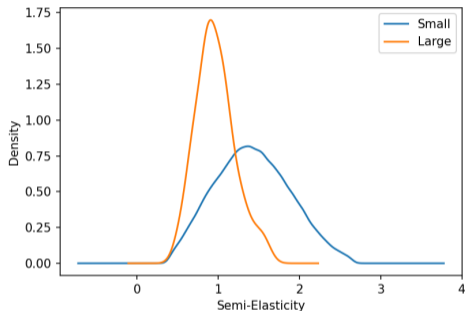
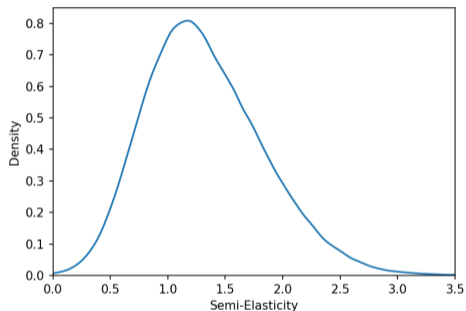
## Estimation Results

Parameter		Estimation	SE
Deposit Rate	$\alpha$	1.171	(0.046)
Large $\times$ Market Average Income	$\beta_1$	<b>0.015</b>	(0.001)
Log(Employee per Branch)	$\beta_2$	0.476	(0.019)
Log(Branch Number)	$\beta_3$	0.133	(0.016)
<i>Heterogeneous rate Sensitivity:</i>			
Log(Household Income)	$\Pi$	<b>-0.533</b>	(0.014)
Rate Sensitivity Dispersion	$\sigma$	0.957	(0.038)
Observation	296,174		
Adjusted $R^2$	0.540		

- A one-standard-deviation increase in log income leads to a 0.490 decline in  $\alpha$ .
- Banks in San Francisco (avg inc. \$135k) can offer deposit rate 1.09% lower than in Champaign (avg inc. \$50k) with same satisfaction.

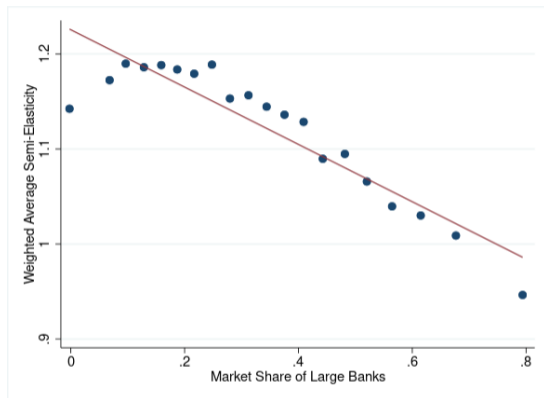


# Semi-Elasticity results



- Large banks are concentrated in low-elasticity markets.
- Small banks face higher rate elasticities and larger elasticity variation.

## Semi-elasticity and Large Bank Market Share



- Large banks locate in markets with lower elasticities
- Large banks can charge higher spreads because of lower customers' elasticities
- High-income customers have lower elasticities

# Conclusions

- Deposit businesses differ at small and large banks.
- We provide model-based and empirical evidence for these differences and their effects on deposit-pricing.
- We find that the key drivers of deposit-pricing differences are:
  - **Heterogeneity of product characteristics,**
  - **Depositors' preferences.**
- We find that large banks:
  - Offer a broader menu of financial services,
  - Pay lower deposit rates than collocated small banks,
  - Locate where depositors have lower deposit-rate elasticities and higher incomes.

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